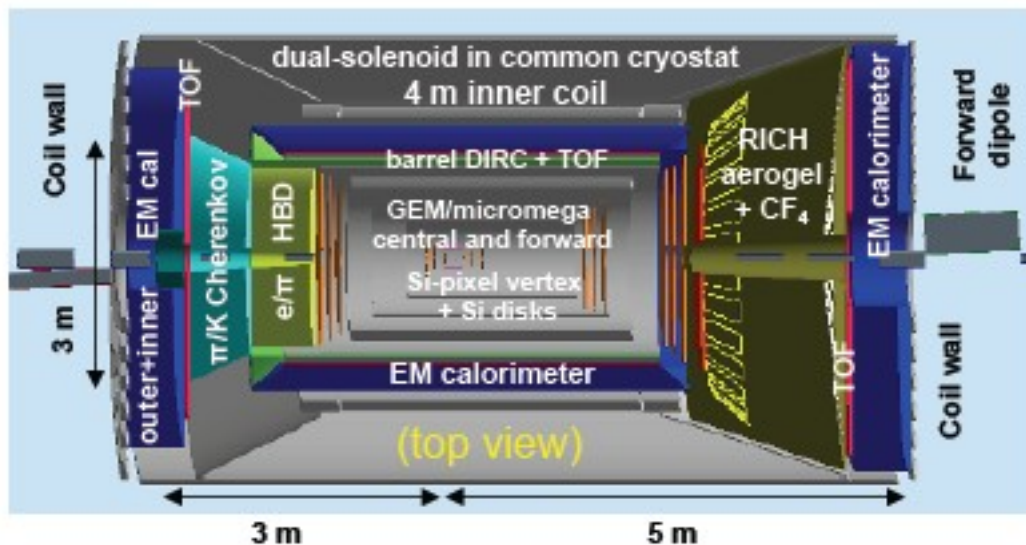


# Dual-RICH simulations (Update)

Alessio Del Dotto  
for the EIC PID meeting  
9-28-2015

# MEIC detector concept for EIC

MEIC IP1 detector



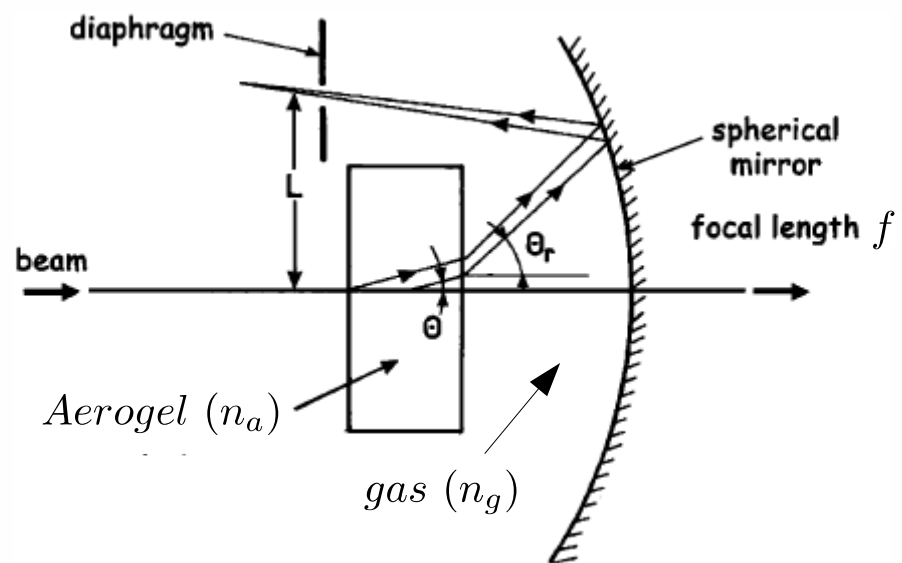
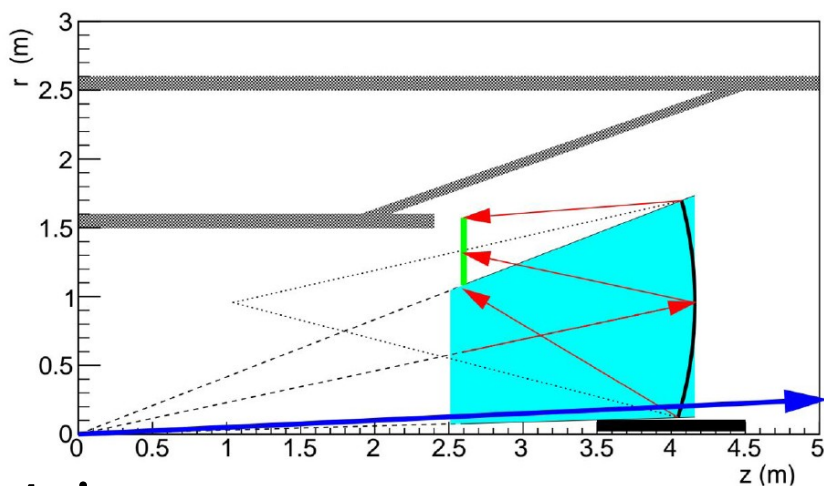
## Dual-radiator RICH:

- Proximity configuration: excluded, can not guarantee momentum coverage up to 50 GeV
- Outward-reflecting mirror configuration: under study

MEIC  $\pi/K/p$  ID up to 50 GeV

- TOF in both endcaps and barrel
- DIRC in barrel (compact “camera”)
- Dual-radiator RICH in hadron endcap
- Modular aerogel RICH in electron endcap

# Focusing configuration – mirror (ideal)



## Main error contributions:

- Chromatic
  - emission  $\lambda$  uncertainty

*Aerogel*

- Pixel-size uncertainty
  - pixel detector granularity

*Gas*

- Scattering of light
  - $\lambda$  in the range [300,500] nm, UV light filtered

*Chromatic error (1 p.e.):*

$$\sigma_{\theta_c}^{\lambda} = \frac{dn_a}{d\lambda} \frac{\beta}{\sin \theta_c} \frac{\Delta\lambda}{\sqrt{12}}$$

*Pixel error (1 p.e.):*

$$\sigma_{\theta_c}^s = \frac{n_g \cos^3 \theta_r}{f} \frac{s}{\sqrt{6}}$$

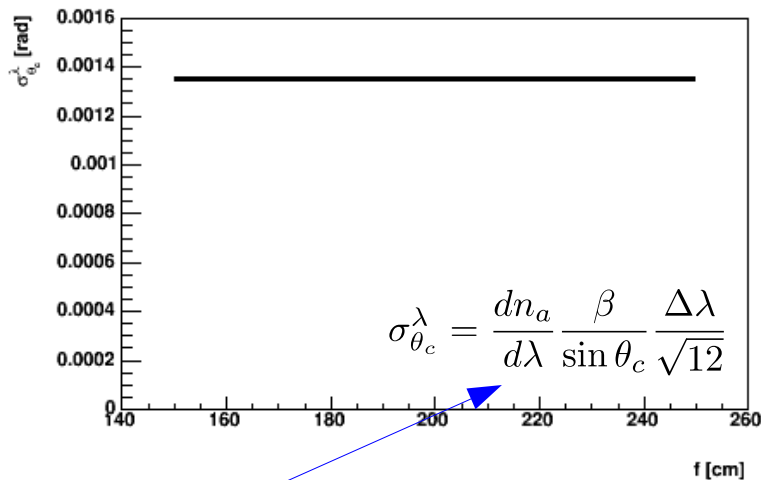
$$\sigma_{\theta_c}^{\lambda} = \frac{dn_g}{d\lambda} \frac{1}{n_g^2 \beta \sin \theta_c} \frac{\Delta\lambda}{\sqrt{12}}$$

$$\sigma_{\theta_c}^s = \frac{1}{f n_g^2} \frac{s}{\sqrt{6}}$$

# Mirror focusing – chromatic error

Geometry independent error: does not depend on the focal length

Photons from Aerogel ( $n = 1.02$ )

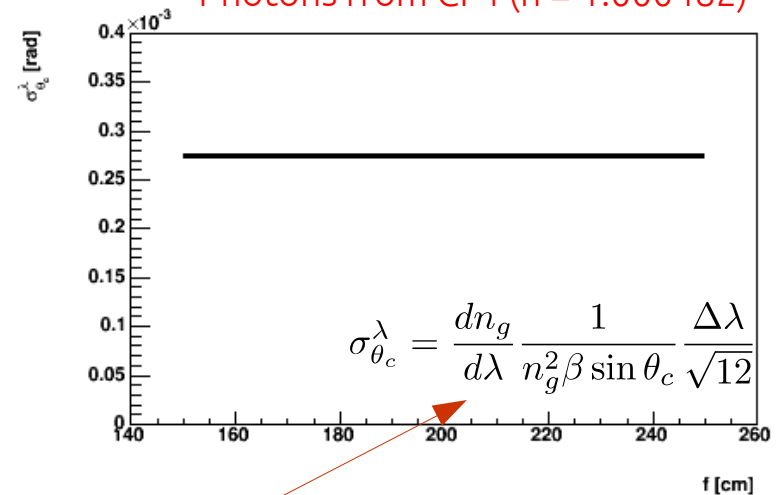


$$n_a^2(\lambda) = 1 + \frac{0.096\lambda^2}{\lambda^2 - 84^2}$$

$$\langle \lambda \rangle = 400 \text{ nm} \quad \langle p \rangle = 5 \text{ GeV}$$

M. Contalbrigo talk at RICH 2013  
(<http://rich2013.kek.jp/program.html>)

Photons from CF4 ( $n = 1.000482$ )



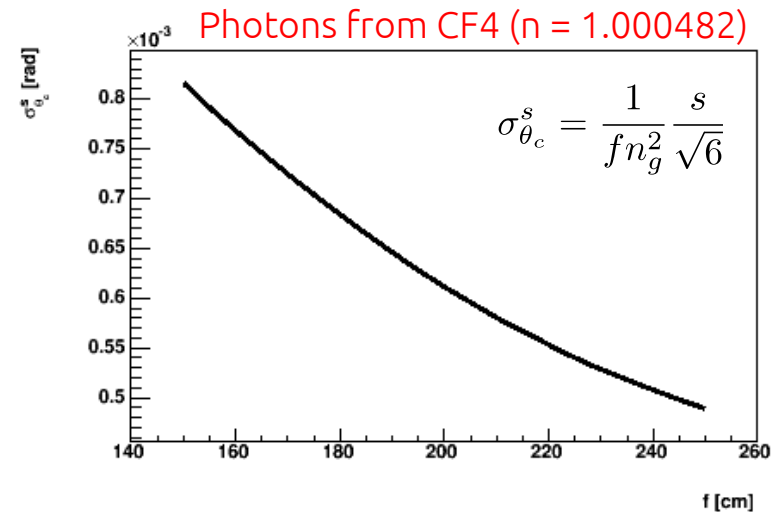
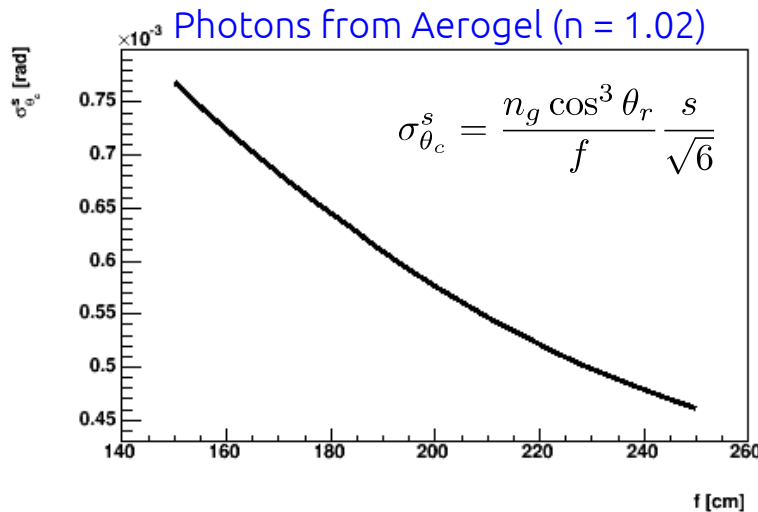
$$(n_g(\lambda) - 1) \times 10^{-6} = \frac{0.12489}{61.8^{-2} - \lambda^{-2}}$$

$$\langle \lambda \rangle = 400 \text{ nm} \quad \langle p \rangle = 40 \text{ GeV}$$

Alves Jr, A. Augusto, et al. "The LHCb detector at the LHC."  
Journal of instrumentation  
3.08 (2008): S08005.

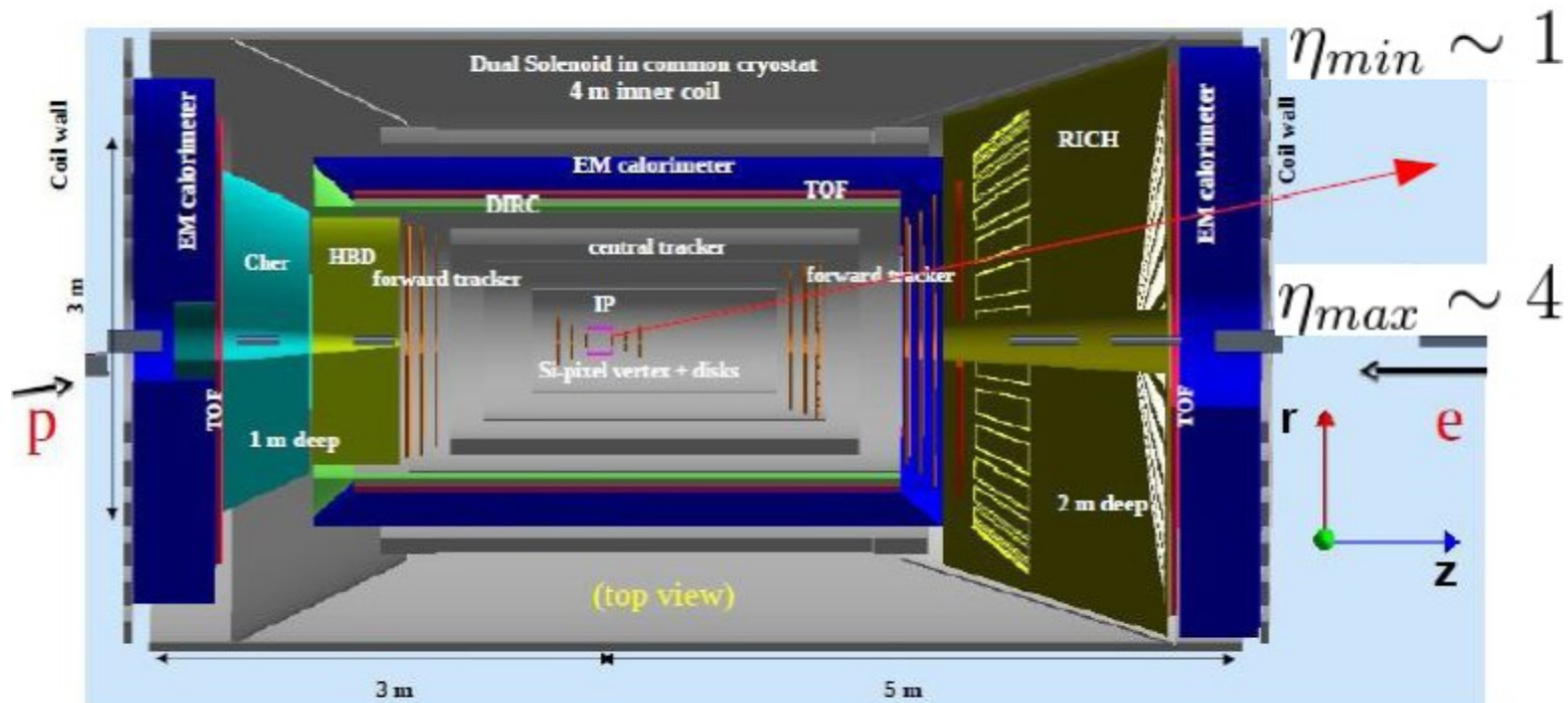
# Mirror focusing – pixel error

pixel size :  $s = 3 \text{ mm}$



- In a spherical mirror configuration, the error due to the magnetic bending has to be added to the chromatic and pixel size errors
- Others errors that have to be added are:
  - $\sigma_{\text{emission}}$  (if the mirror is tilted/aberrations)  $\rightarrow$  geometry dependent
  - $\sigma_{\text{track}}$  (due to the error on the track)
  - $\sigma_{\text{magnetic}}$  (due to the bending of the track)

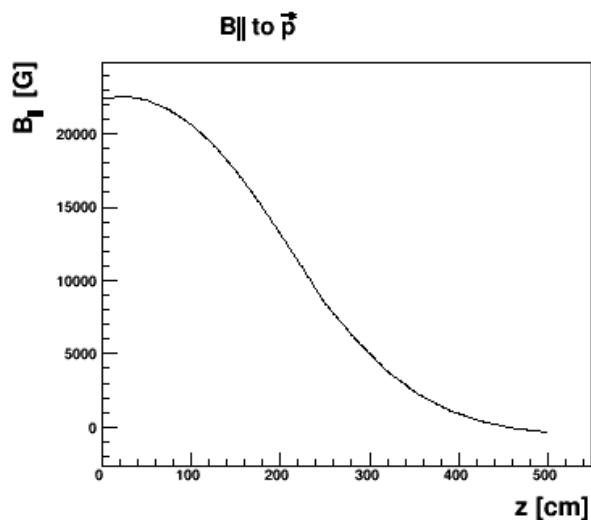
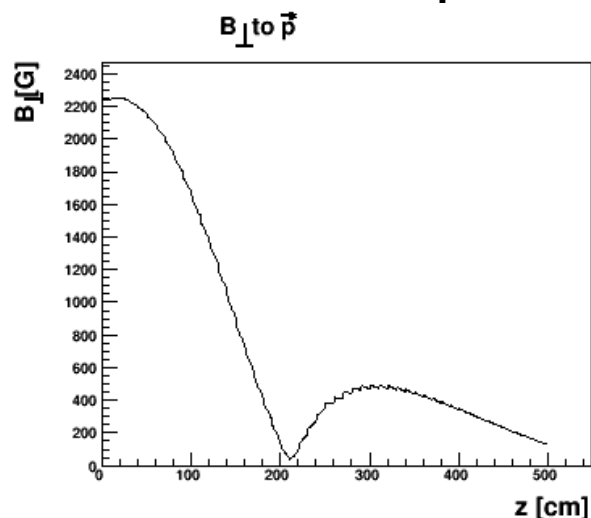
# Field effect – distortion for RICH



- RICH is in magnetic field
- Effect estimated using a new field mesh (map version 3) of 5 cm step in (z,r), a mesh of 1 cm step in (z,r) has been obtained interpolating the original map v3 (map v3 by Paul Brindza)
- The bending of the trajectory has been evaluated using a semi-analytical method (the same used in the past talk)

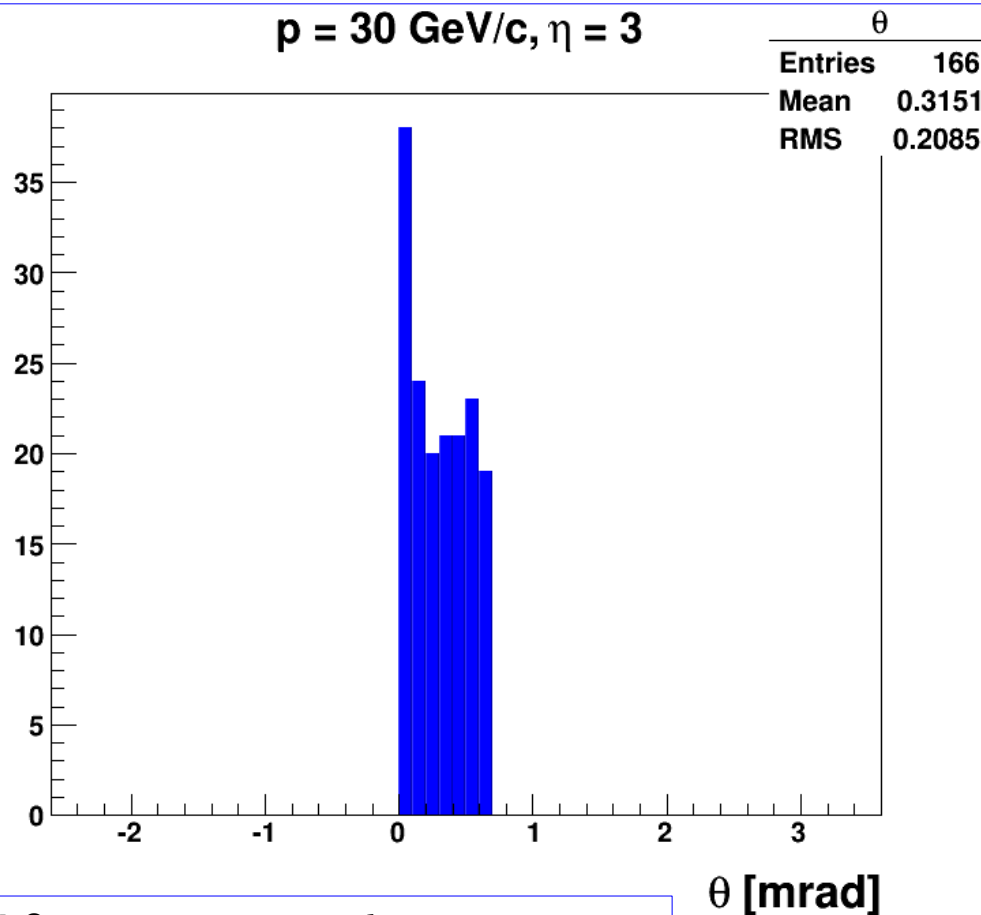
# Field effect – distortion for RICH

Field components along the track for  $\eta = 3$



$\theta$  is the bending angle of the tangent vector along the track in  $z = [220, 385]$  cm (RICH position)

$p = 30 \text{ GeV/c}, \eta = 3$

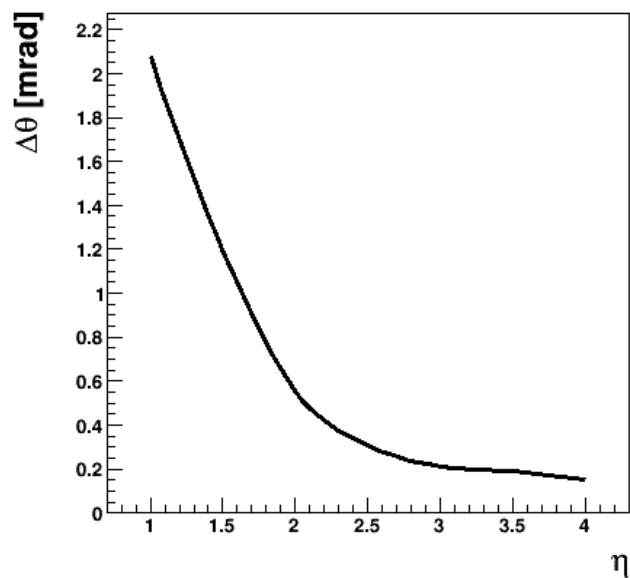


$\text{RMS} = \Delta\theta \rightarrow$  error on the Cherenkov angle due to the bending of the track

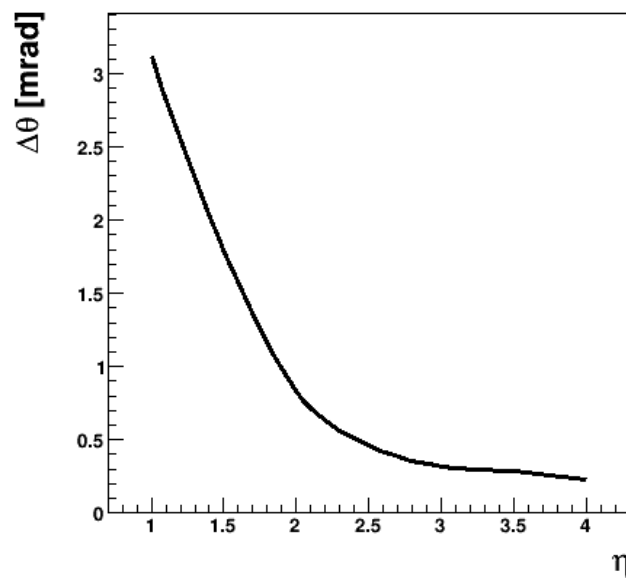
# Field effect – distortion for RICH

$\Delta\theta$  vs  $\eta$  for three different momenta of the particle

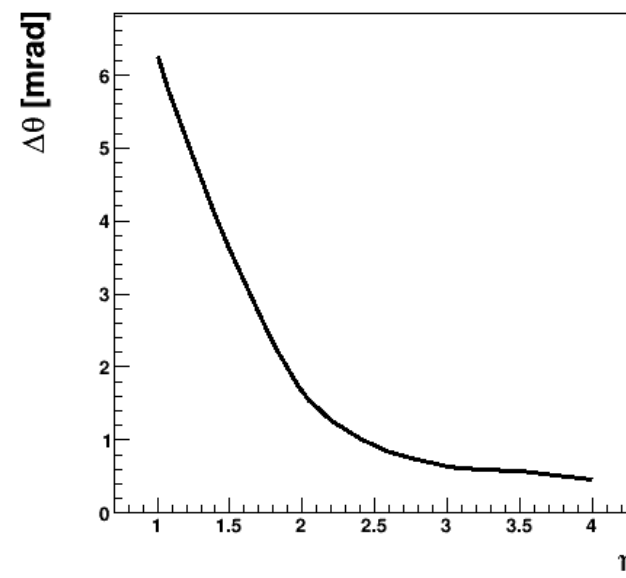
$\Delta\theta$  for  $p = 30$  GeV/c



$\Delta\theta$  for  $p = 20$  GeV/c



$\Delta\theta$  for  $p = 10$  GeV/c

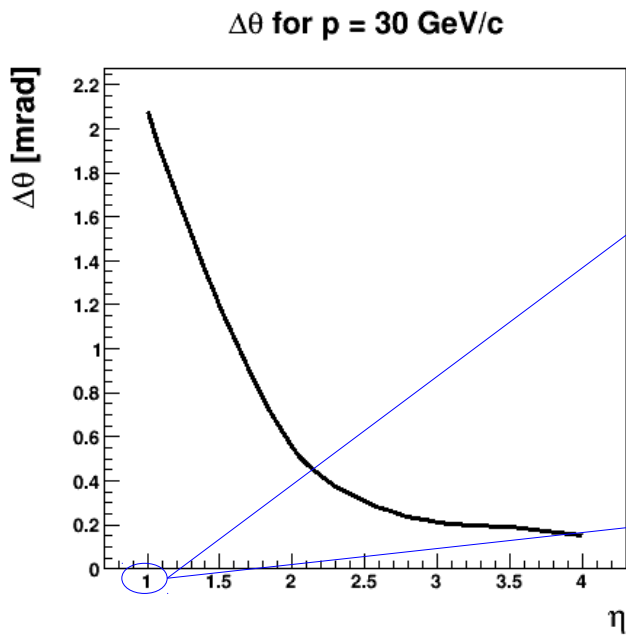




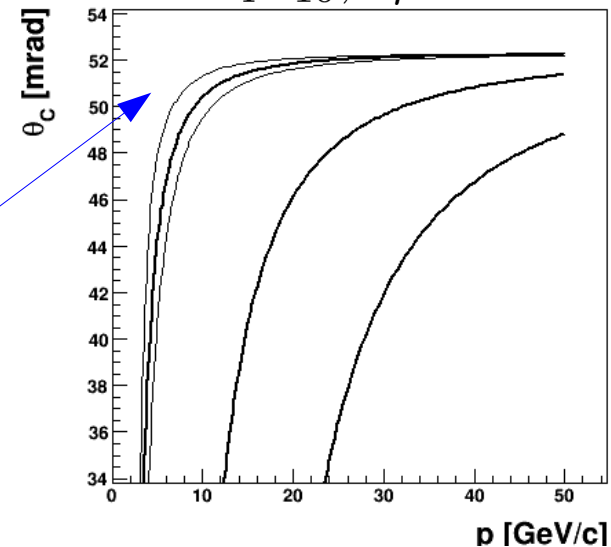
# Field effect – radius+/- 1 $\sigma$ effect

*RICH ring error*

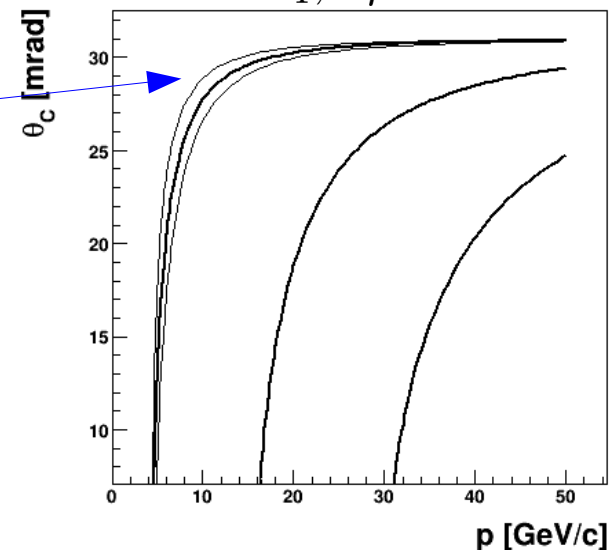
$$\delta R = \Delta\theta / \sqrt{2N_\gamma} \cdot (10 \text{ GeV}/c) / p$$



$C_4F_{10}, \eta = 1$



$CF_4, \eta = 1$

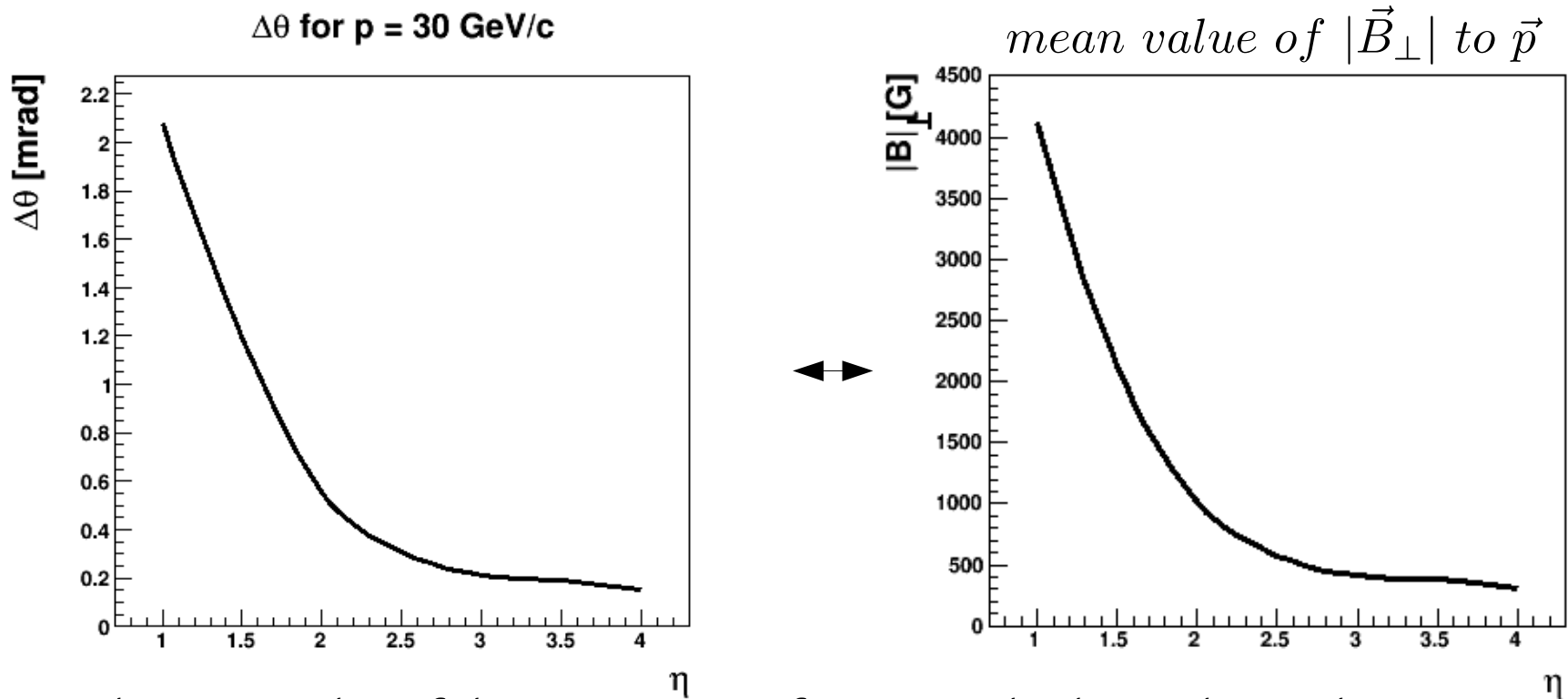


Mean number of p.e. used in the formula:

$$C_4F_{10} \rightarrow N_\gamma \sim 25$$

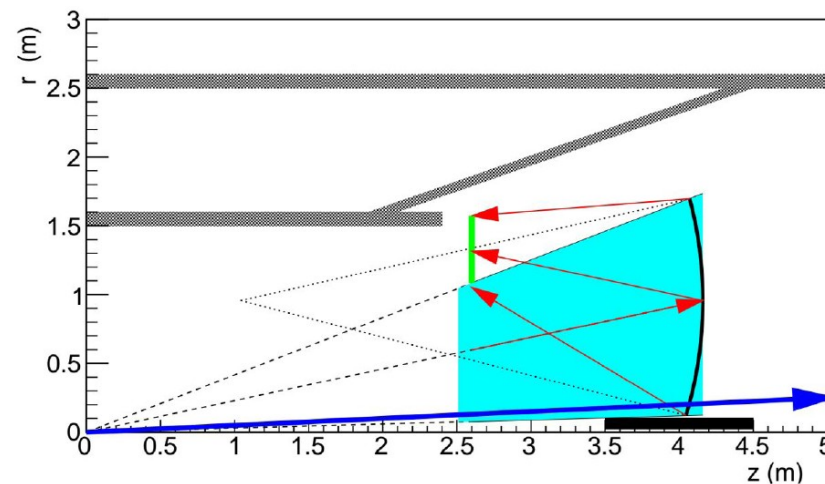
$$CF_4 \rightarrow N_\gamma \sim 15$$

# Field design – important parameter

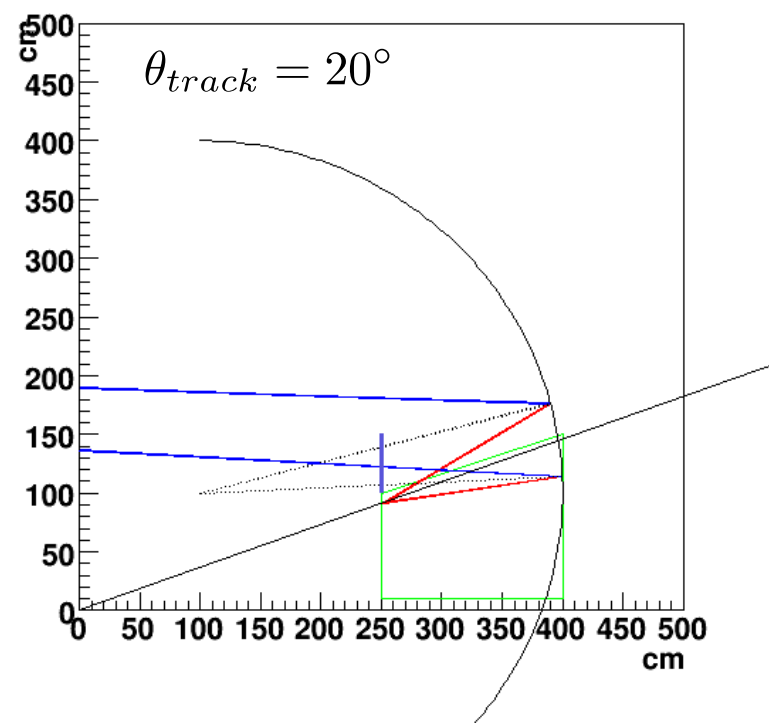
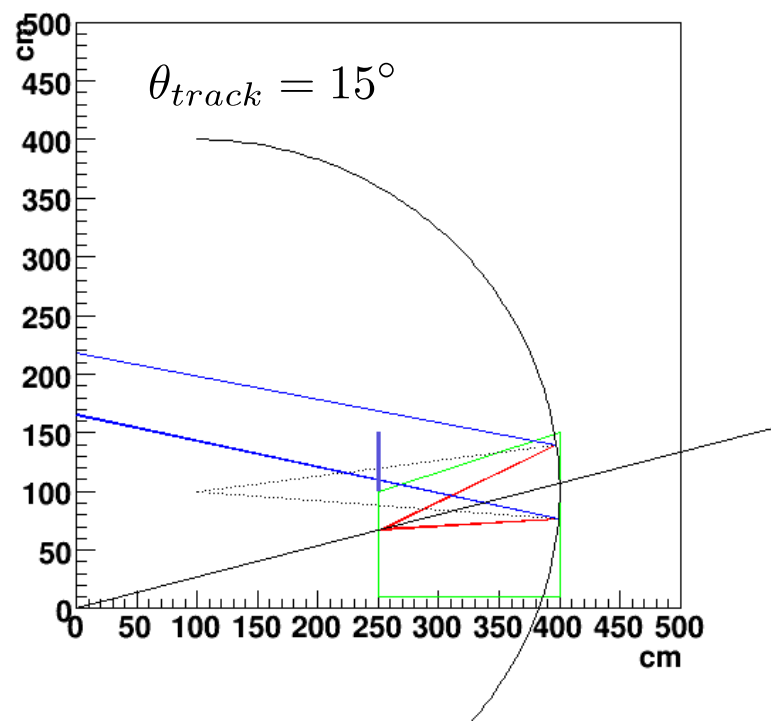
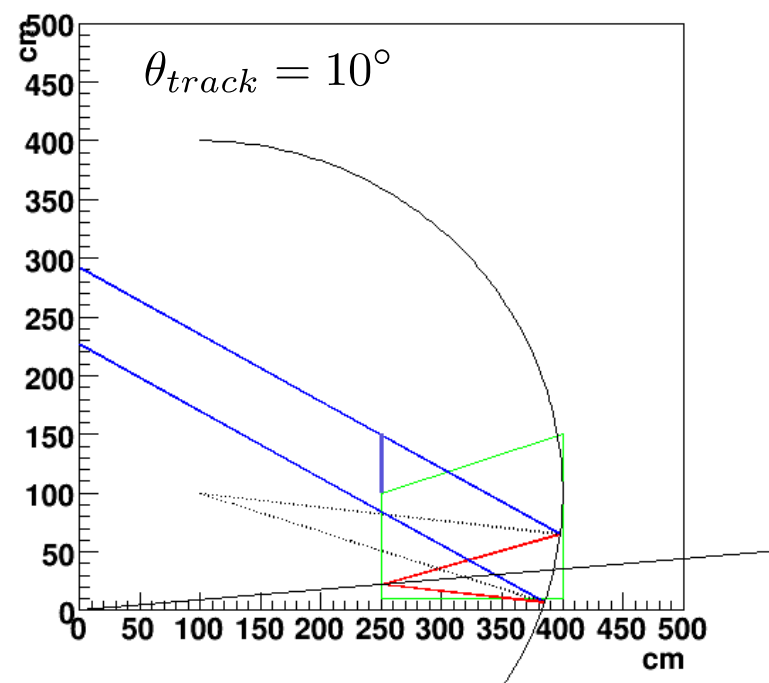
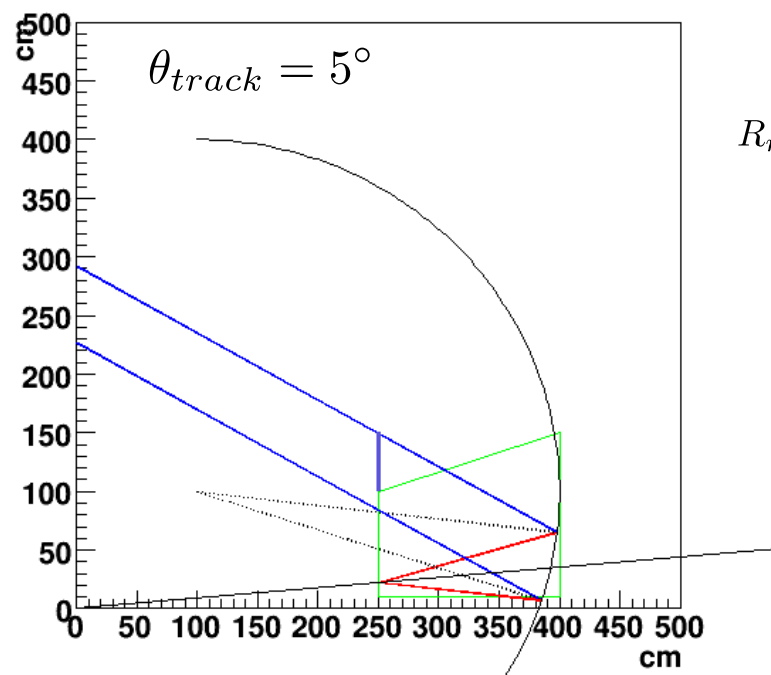


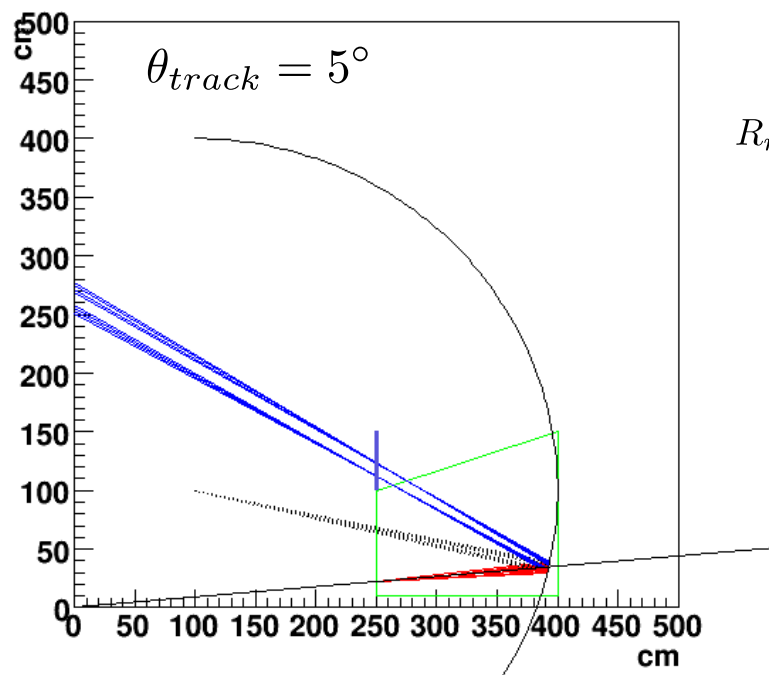
- The mean value of the component of B perpendicular to the track at a given angle is strictly proportional to the bending error on the Cherenkov angle.
- Two ways to reduce this error:
  - reduce the magnitude of the field
  - do the field as parallel/antiparallel as possible to the track in the RICH region

# Towards a realistic mirror configuration

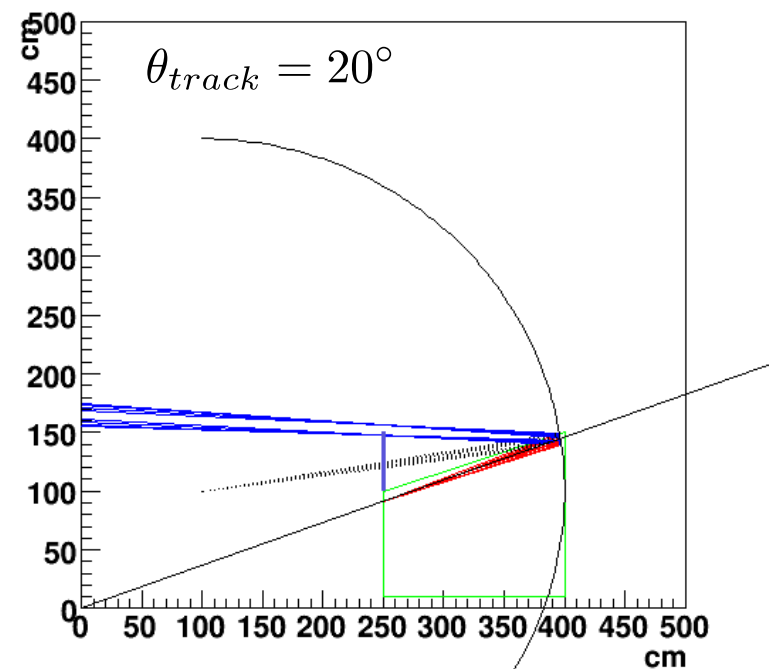
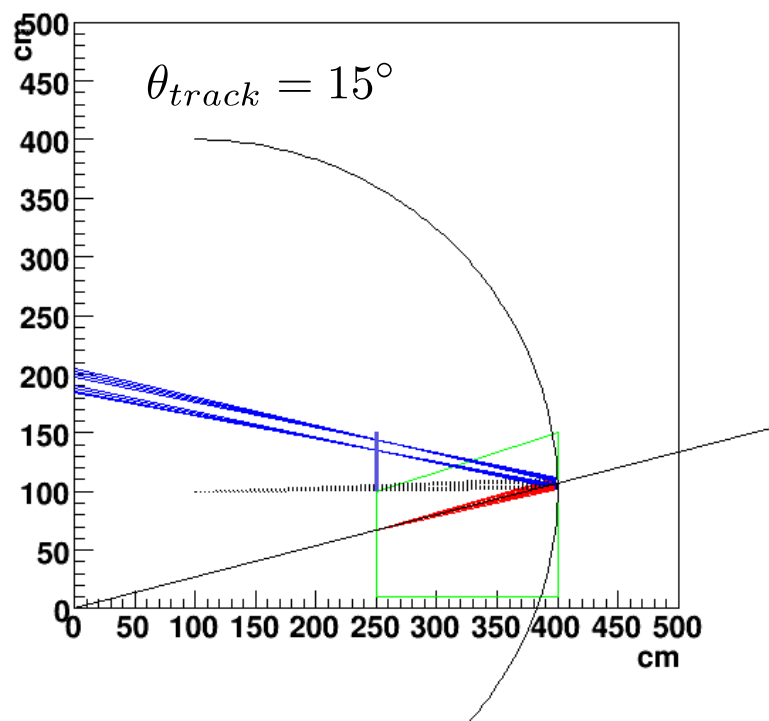
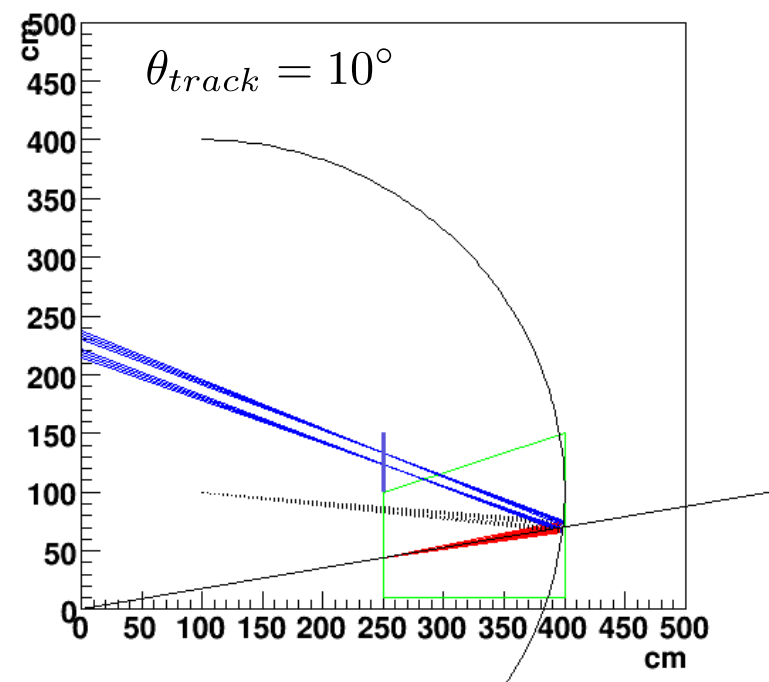


- A 2D optical ray tracing software has been developed (based on C++)
- The reflection of the Cherenkov photons can be simulated for different radiators and different mirror configurations
- The photon-detector position can be studied in relation to the focal plane





$$R_{mirror} = 300 \text{ cm}$$



# Comments and next developments

- With field map version 3, the error on the Cherencov ring has a small but not negligible impact on the Cherencov angle
- To minimize the field impact in the RICH region, the component of the field perpendicular to the track should be minimized
- Next step: use the ray tracer to study useful configurations:
  - Parameters and number of mirrors
  - Position of the photon-detector/focal plane
- In our case one has to add also the error due to the track bending to the usual total error for a mirror configuration

$$\sigma_{\theta_c}^{1 \text{ p.e.}} = \sqrt{\sigma_{chromatic}^2 + \sigma_{pixel}^2 + \sigma_{aberration}^2 + \sigma_{track}^2 + \sigma_{magnetic}^2}$$

- The *aberration* and *track* has to be evaluated, when good configuration for the mirror(s) will be fixed